

# On the Difference between Total Ozone Measured by Dobson and Brewer Spectrophotometers

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# contents

## 1) Dobson vs. Brewer at several European stations

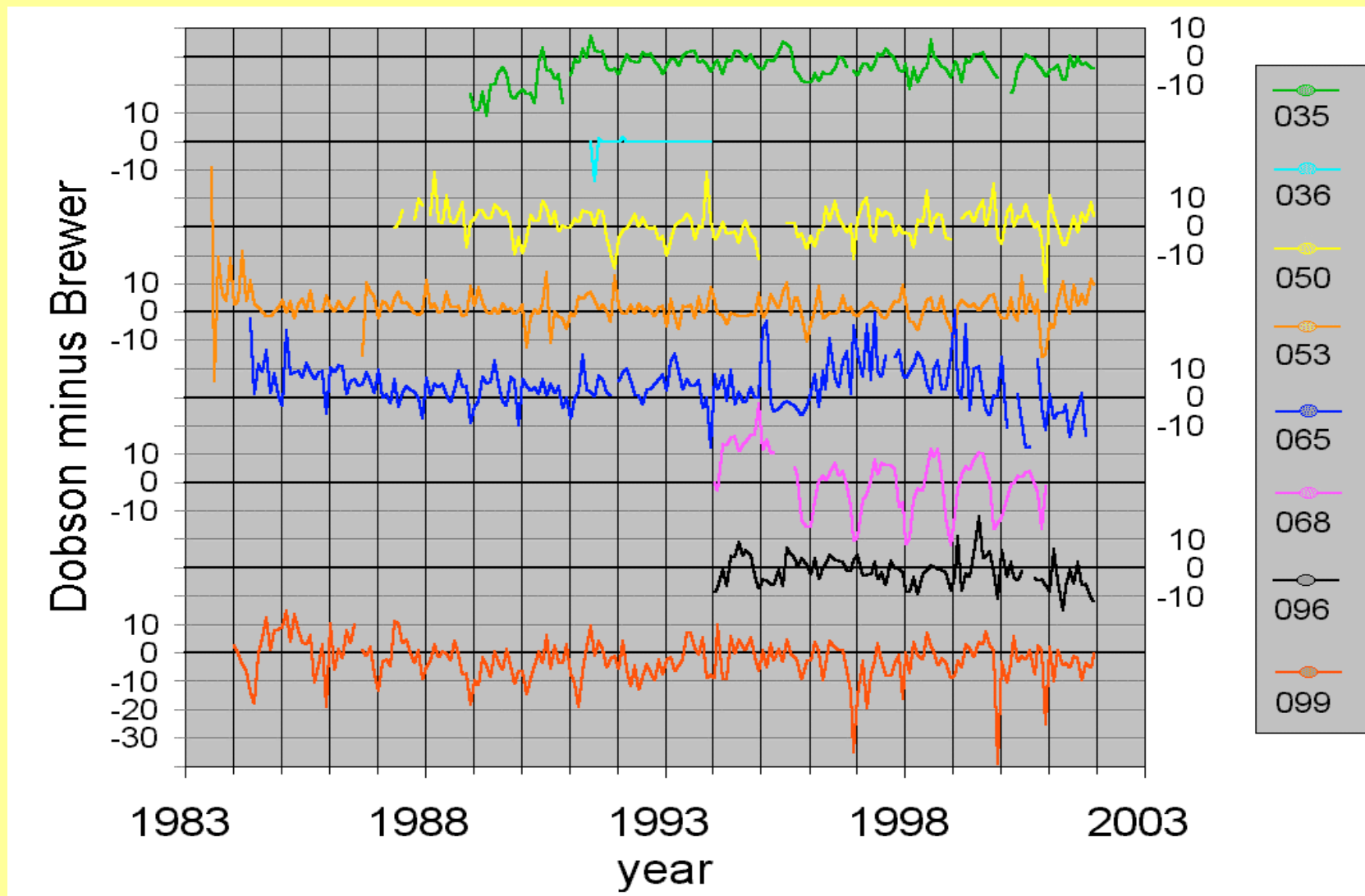
- annual cycle
- trend

*correction for the effective ozone temperature:*

- *no correction*
- *Kerr's correction*
- *new correction*

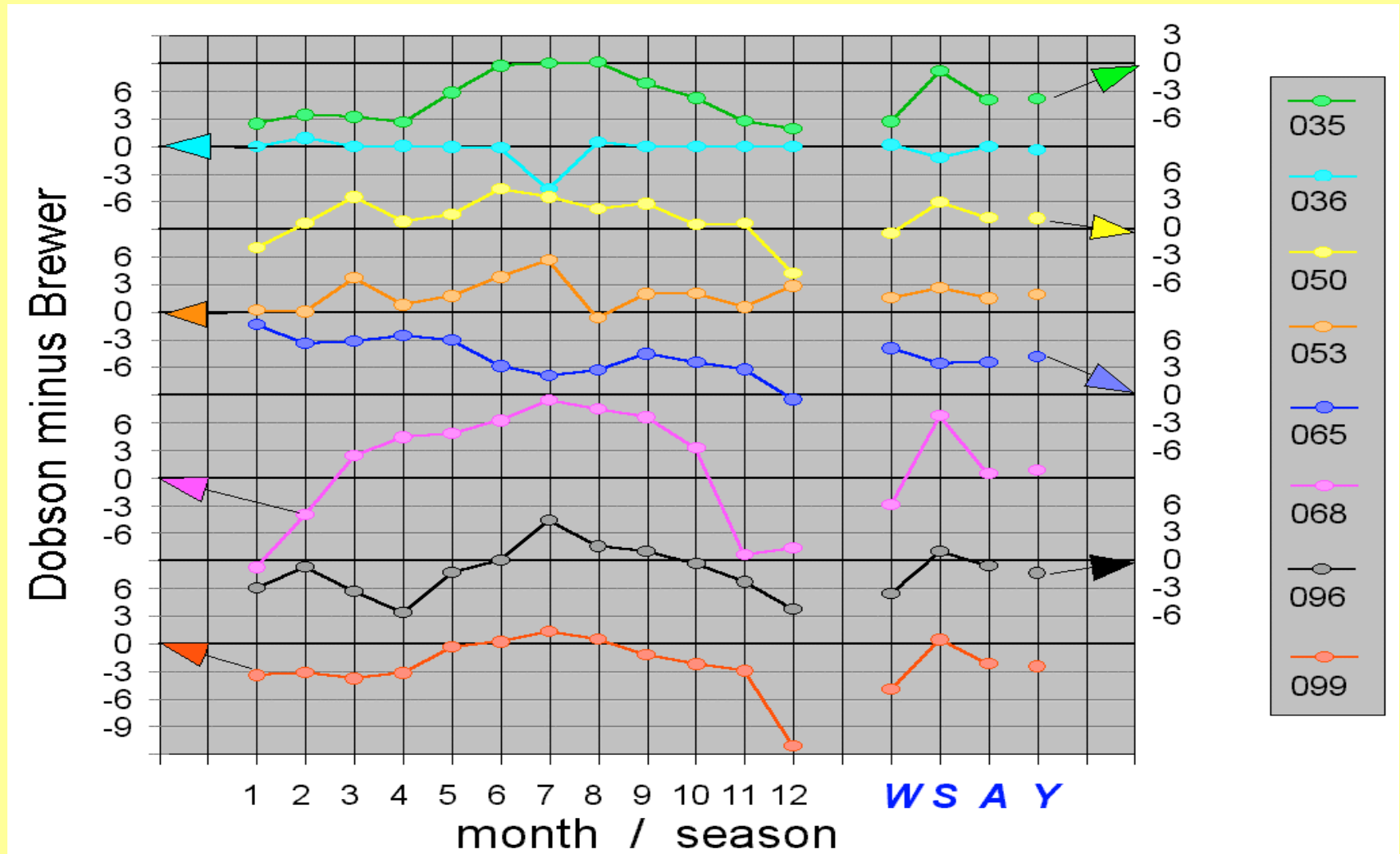
## 2) Effect of limited number of daily measurements on an accuracy of monthly means

# Dobson - Brewer: time series of monthly means



**035:** Arosa, Switzerland; **050:** Potsdam, Germany; **068:** Belsk, Poland; **096:** Hradec Kralove, Czechia;  
**099:** Hohenpeissenberg, Germany; **036:** Camborne, UK; **053:** Uccle, Belgium; **065:** Toronto, Canada

# Dobson - Brewer: mean annual cycle



**W** = DEC+JAN+FEB+MAR+APR; **S** = MAY+JUN+JUL; **A** = AUG+SEP+OCT; **Y** = whole year.

**035**: Arosa, Switzerland; **050**: Potsdam, Germany; **068**: Belsk, Poland; **096**: Hradec Kralove, Czechia;  
**099**: Hohenpeissenberg, Germany; **036**: Camborne, UK; **053**: Uccle, Belgium; **065**: Toronto, Canada

# Dobson - Brewer: trends [D.U. / year]

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[096] Hradec Králové:	$b = -0.54 \pm 0.24;$	$p = 0.025$	*
[099] Hohenpeissenberg:	$b = -0.24 \pm 0.10;$	$p = 0.014$	*
[035] Arosa (since 1989):	$b = +0.32 \pm 0.10;$	$p = 0.003$	**
(since 1991):	$b = -0.31 \pm 0.09;$	$p = 0.001$	***
[050] Potsdam	$b = -0.10 \pm 0.10;$	$p = 0.342$	
[053] Uccle	$b = -0.16 \pm 0.08;$	$p = 0.038$	*
(since 1985)	$b = -0.03 \pm 0.07;$	$p = 0.596$	
[065] Toronto	$b = -0.20 \pm 0.11;$	$p = 0.086$	

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\* P-level < 0.05

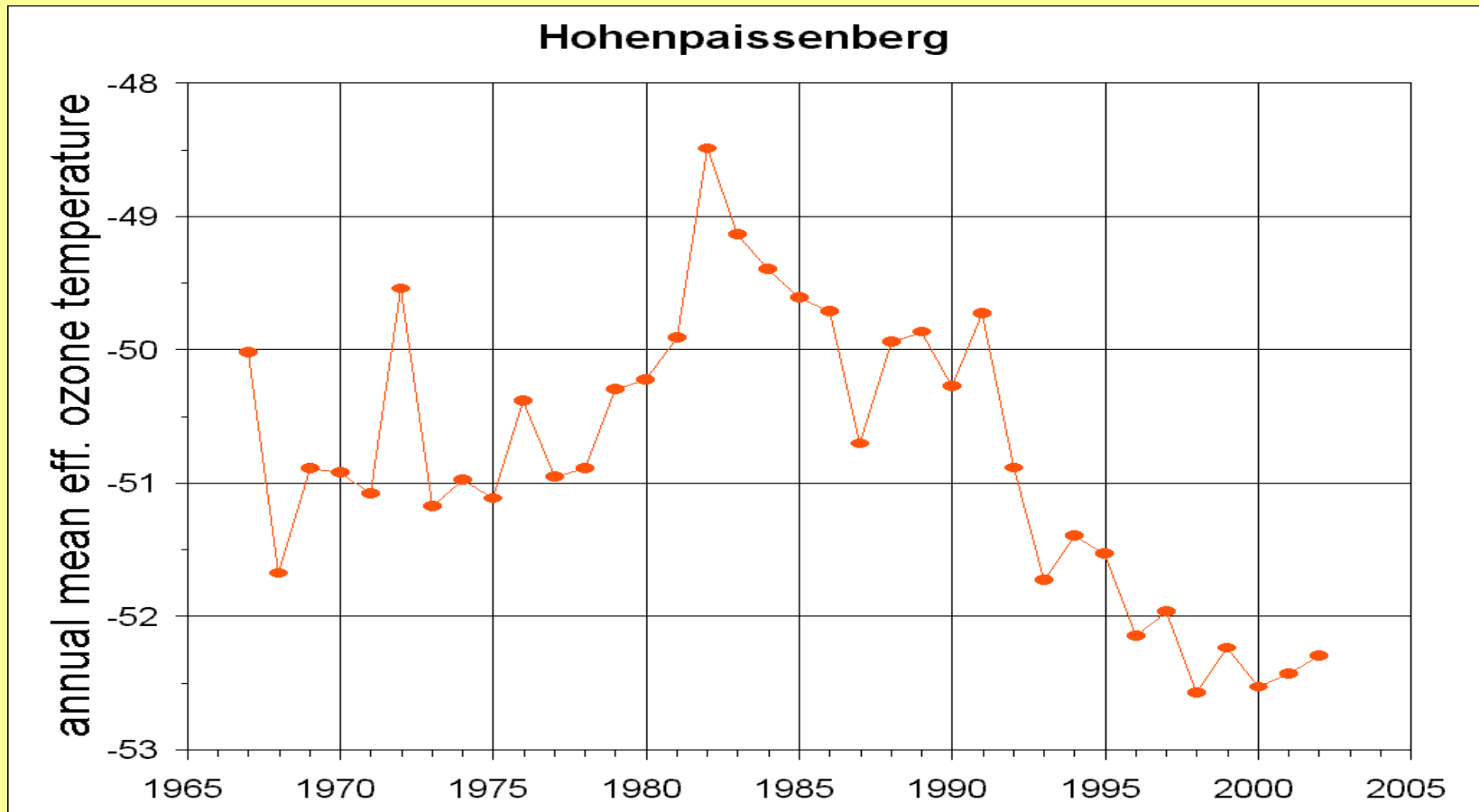
\* P-level < 0.01

\*\*\* P-level < 0.001

# Correction of Dobson and Brewer data for the effective ozone temperature

- **effective ozone temperature ( $T_{O3eff}$ ) =**  
weighted mean temperature of the atmosphere  
(weight = partial ozone pressure)
- **corrections according to Kerr et al. (1988):**  
$$\text{Brewer}^* = \text{Brewer} \times [1 - 0.0007 \times (T_{O3eff} + 46.3)]$$
$$\text{Dobson}^* = \text{Dobson} \times [1 - 0.0013 \times (T_{O3eff} - 46.3)]$$

# effective ozone temperature: annual means

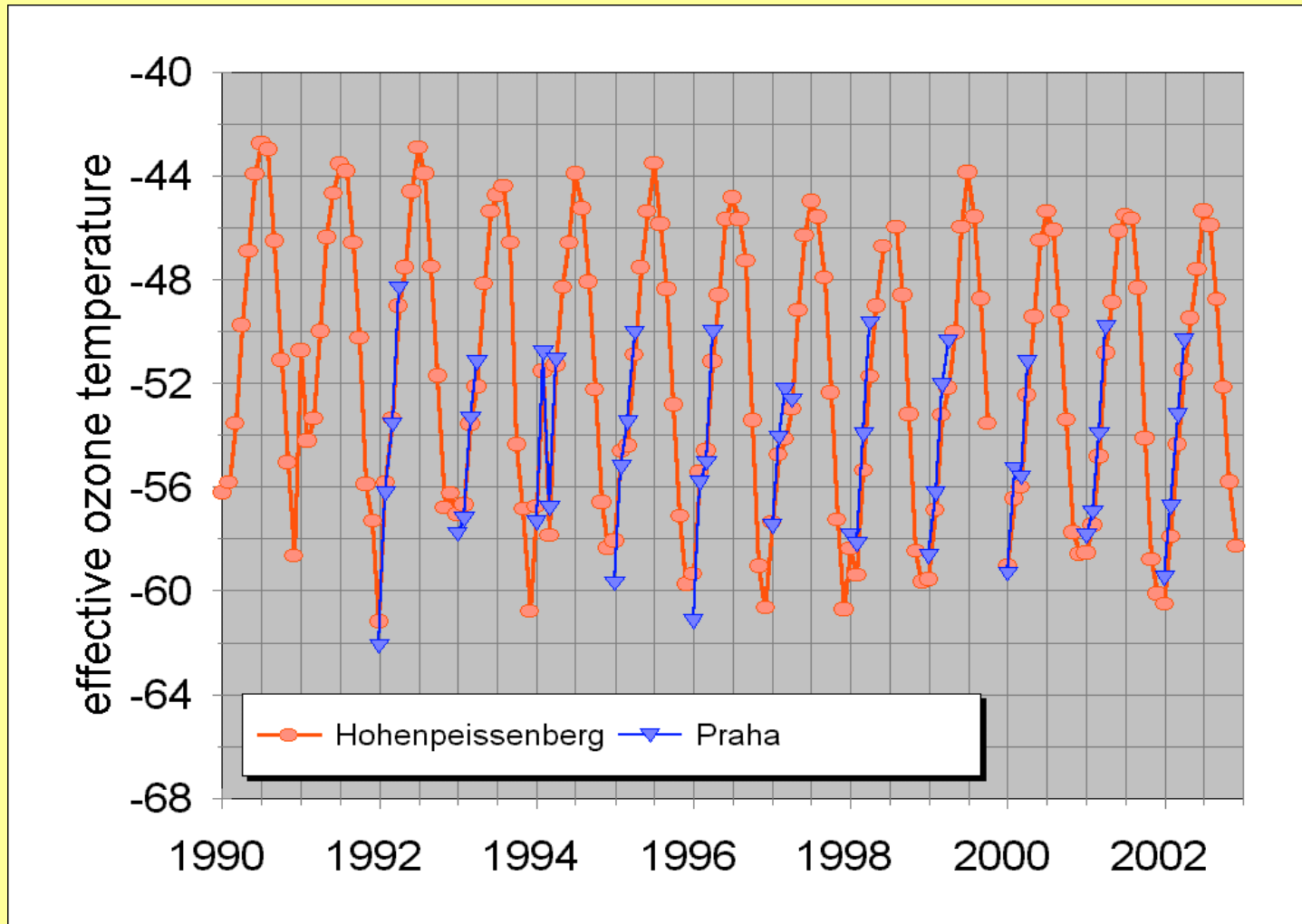


## trend:

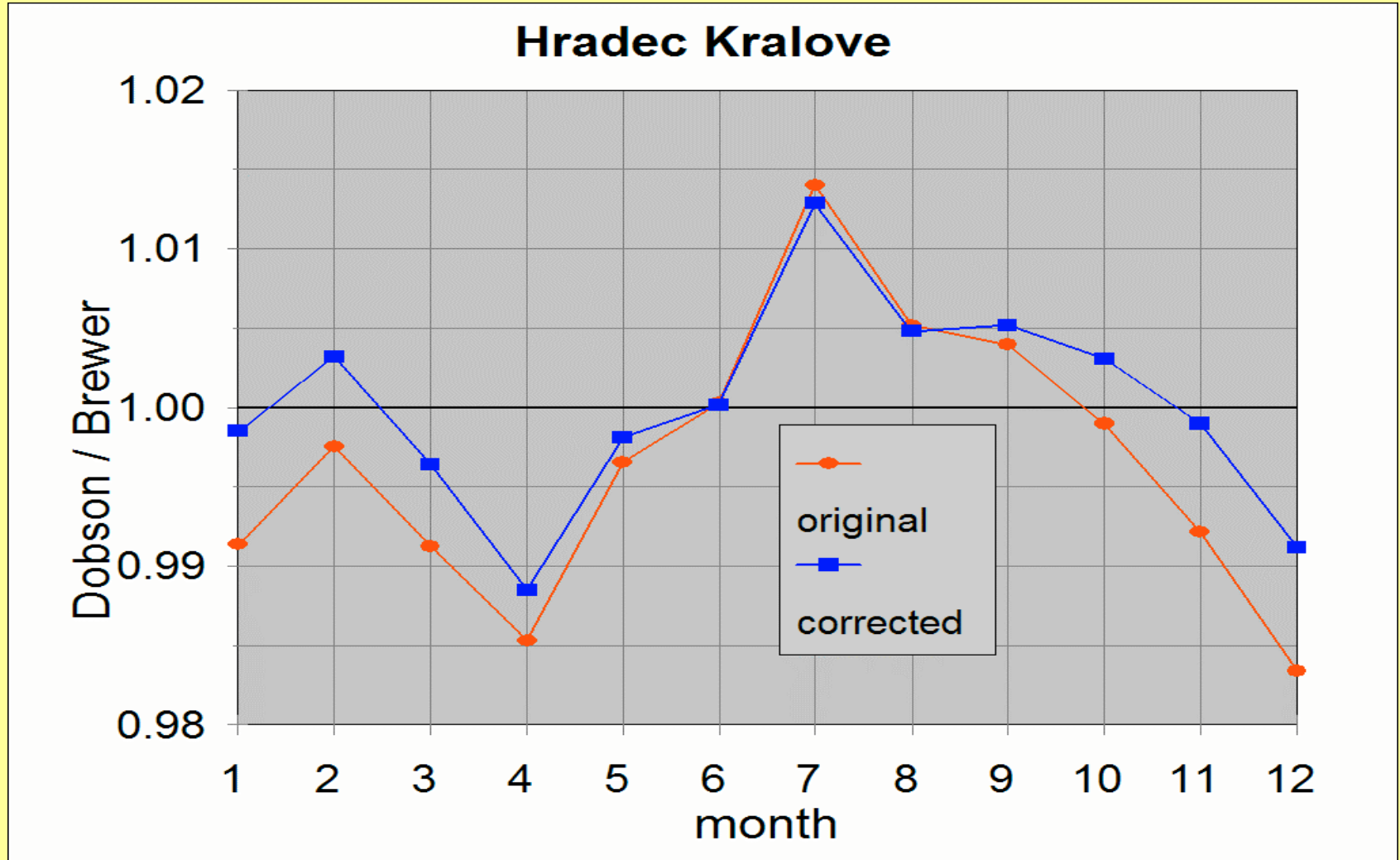
1967-2002:  $-0.04507 \pm 0.015262$ ; P-value = 0.0057

1994-2001:  $-0.15599 \pm 0.037369$ ; P-value = 0.0059

# Effective ozone temperature: Prague vs. Hohenpeissenberg (monthly means)

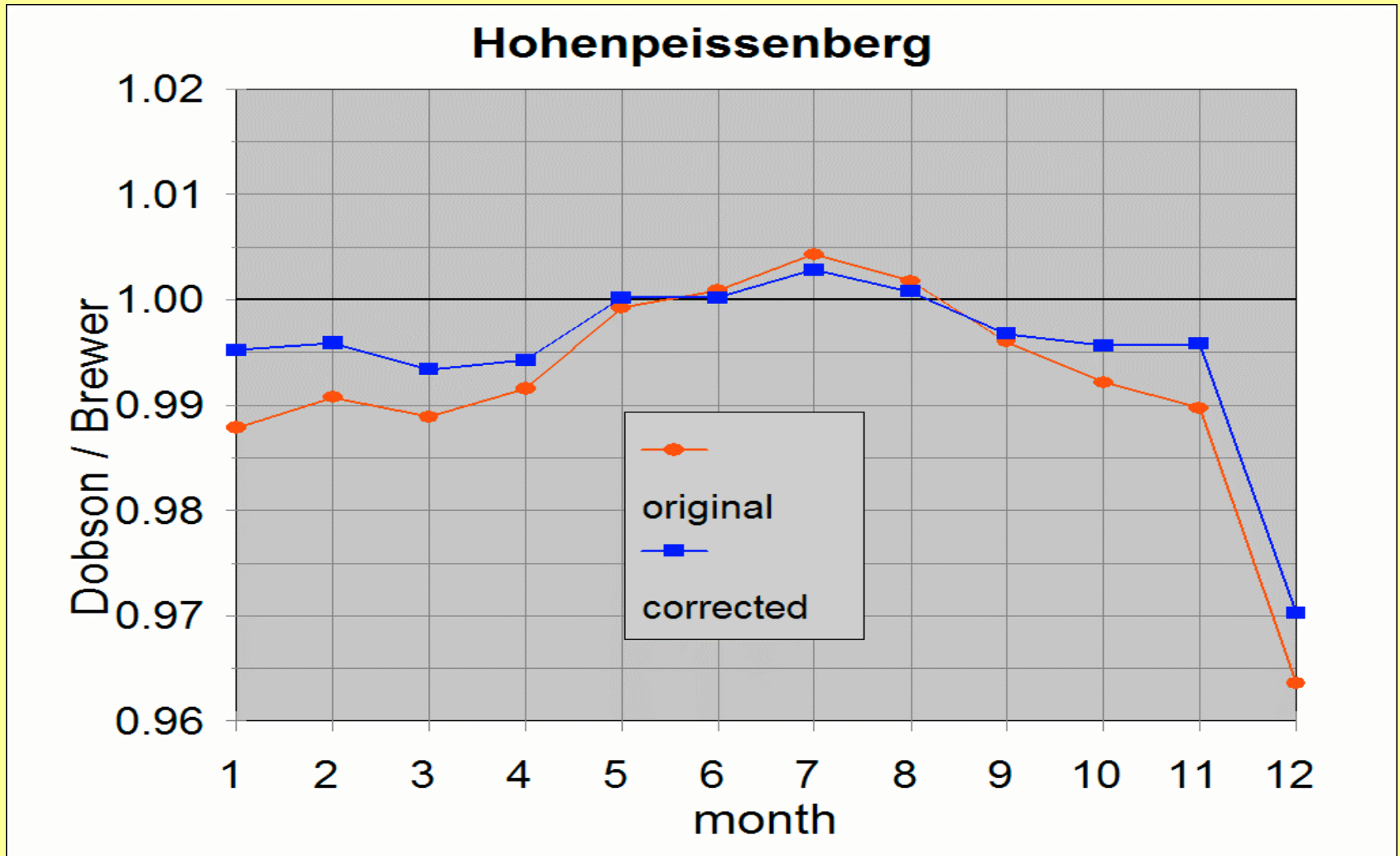


# Dobson/Brewer: Annual cycle

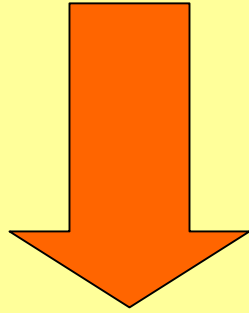


corrected = Kerr's correction is applied

# Dobson/Brewer: Annual cycle

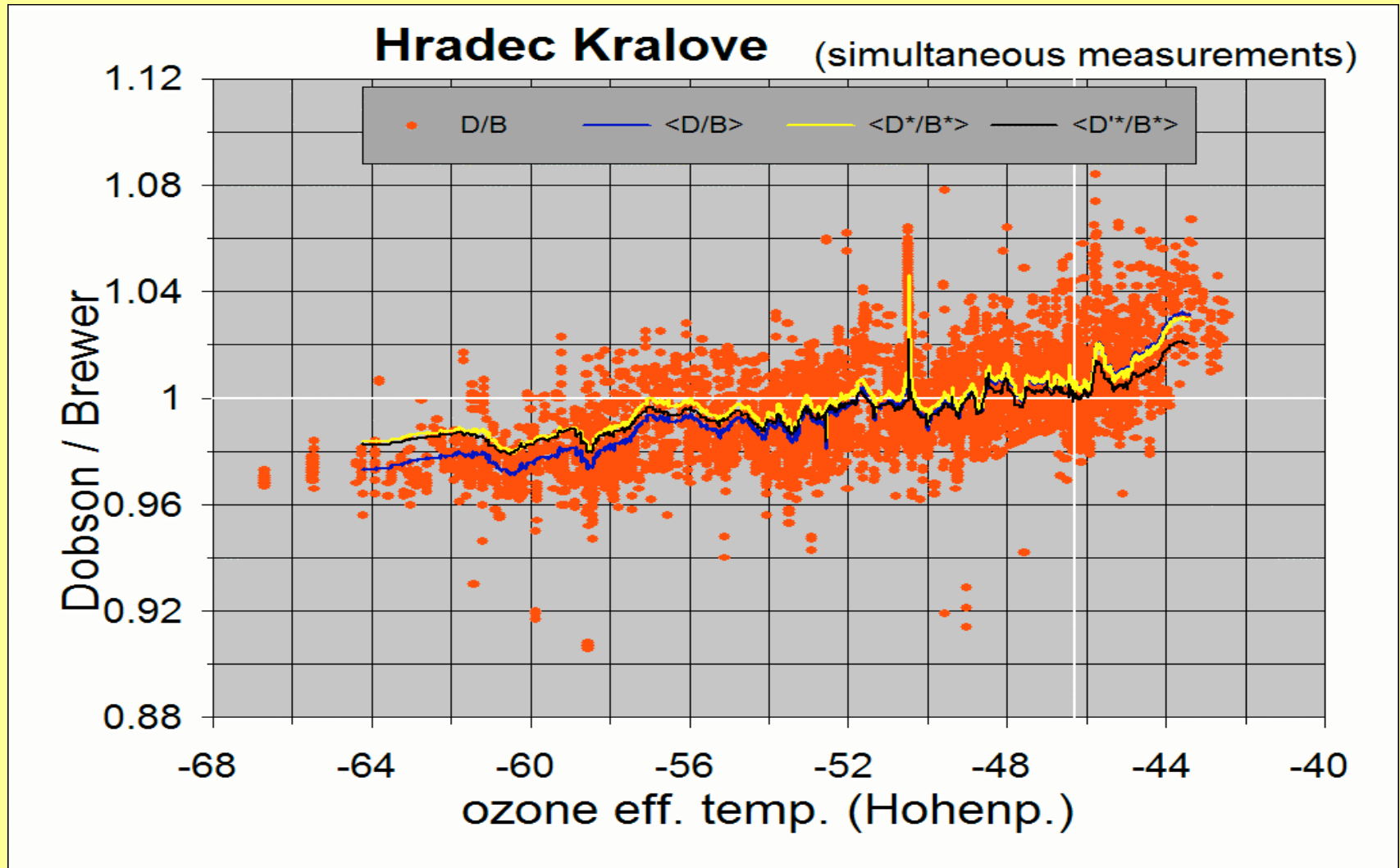


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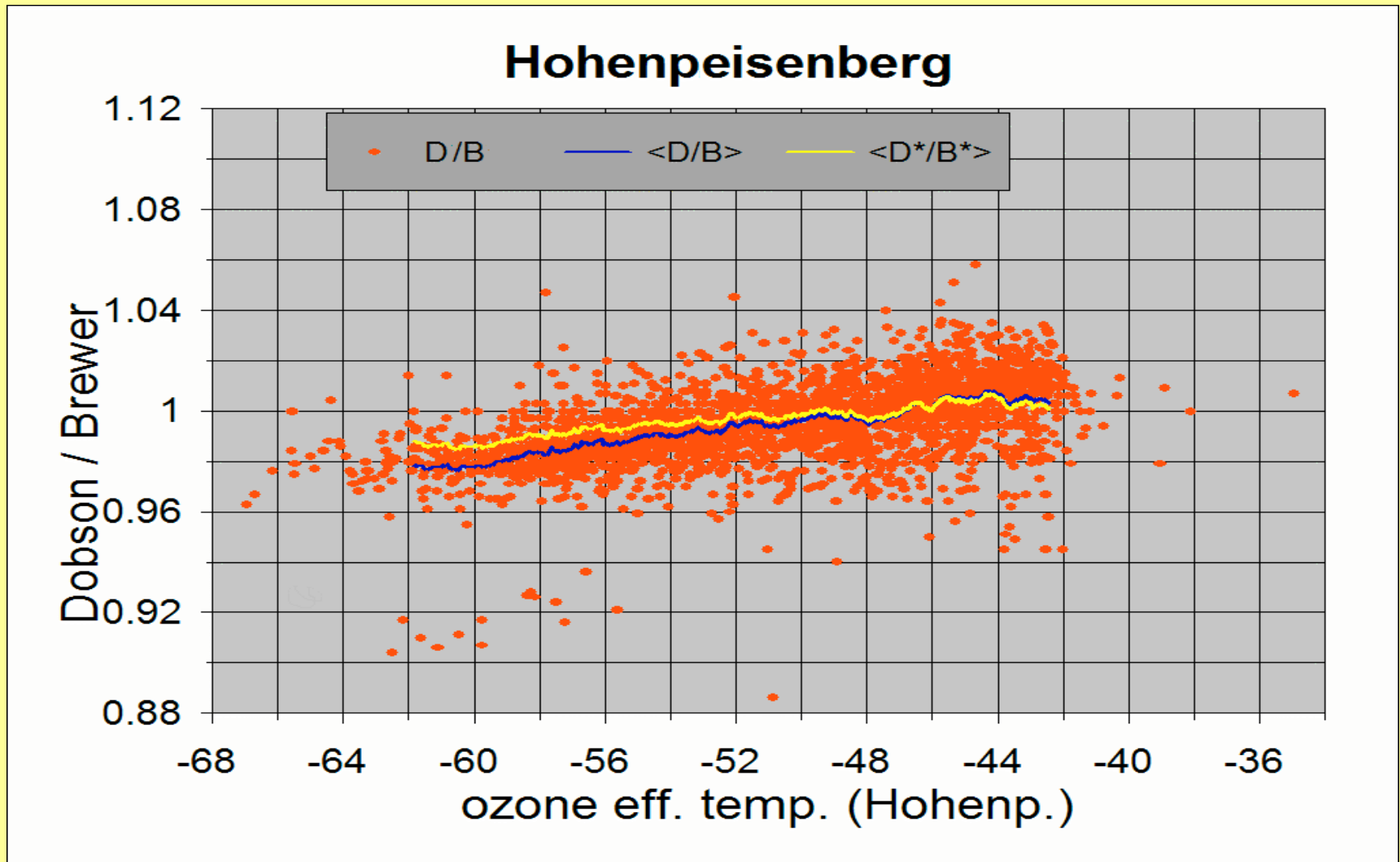
*Is the Kerr's correction for the effective  
ozone temperature sufficient ?*

# Dobson/Brewer vs. effective ozone temperature

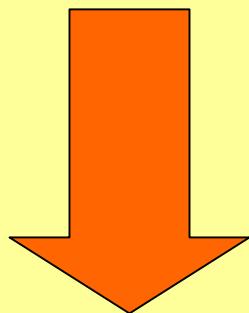


**D/B**: ratio of uncorrected daily values;  $\langle D/B \rangle$ : smoothed;  $\langle D^*/B^* \rangle$ : daily values were corrected for the eff.ozone temp. and smoothed; **D'**: corrected for SO<sub>2</sub> and eff.oz.temp.

# Dobson/Brewer vs. effective ozone temperature



**D/B**: ratio of uncorrected daily values; **<D/B>**: smoothed; **<D\*/B\*>**: daily values were corrected for the eff. ozone temp. and smoothed



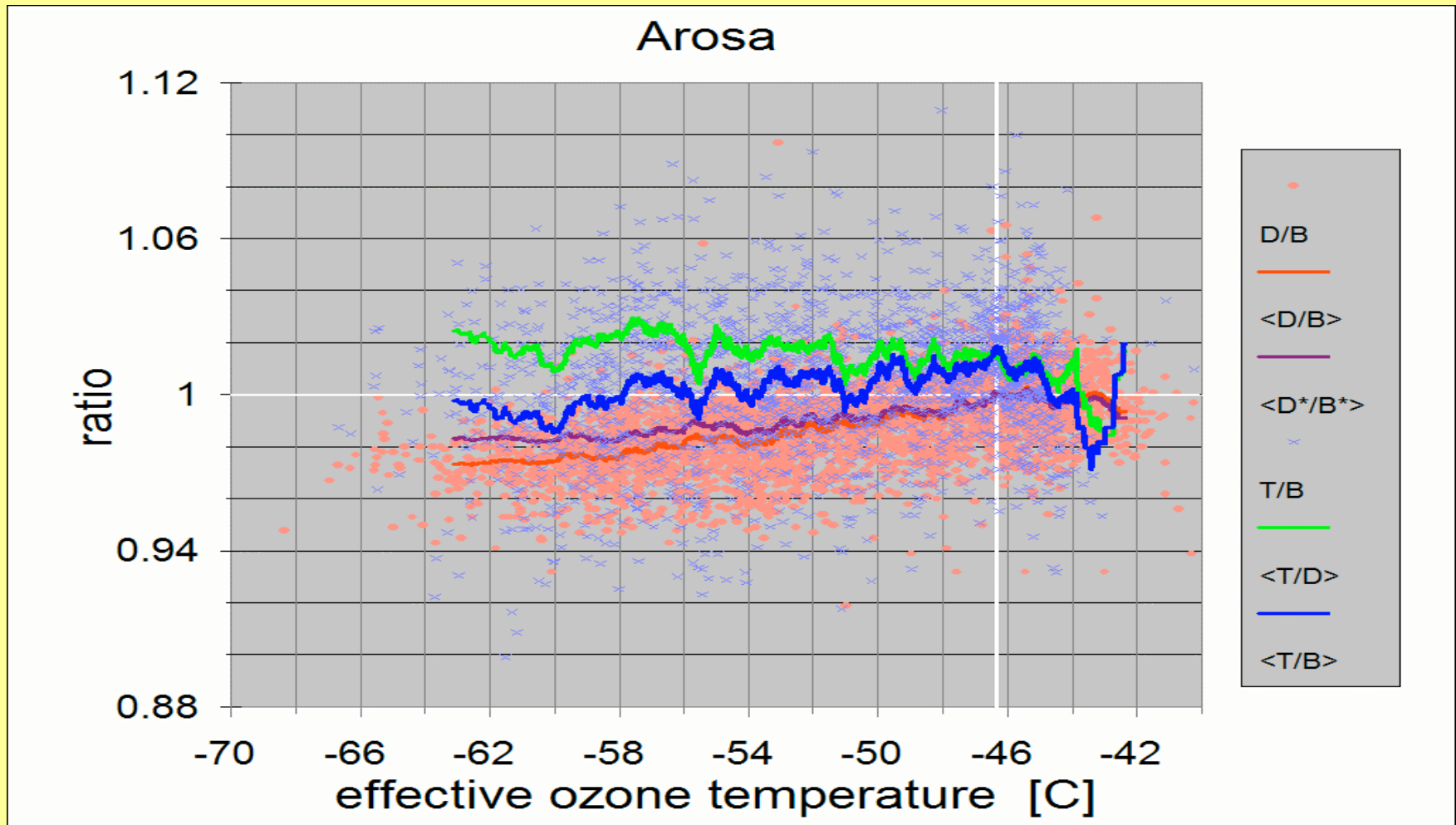
*better correction is needed !*

# new correction for the effective ozone temperature

$$\text{Brewer}^{**} = \text{Brewer} \times [1 - \text{QB} \times 0.0007 \times (T_{\text{O}_3\text{eff}} + 46.3)]$$

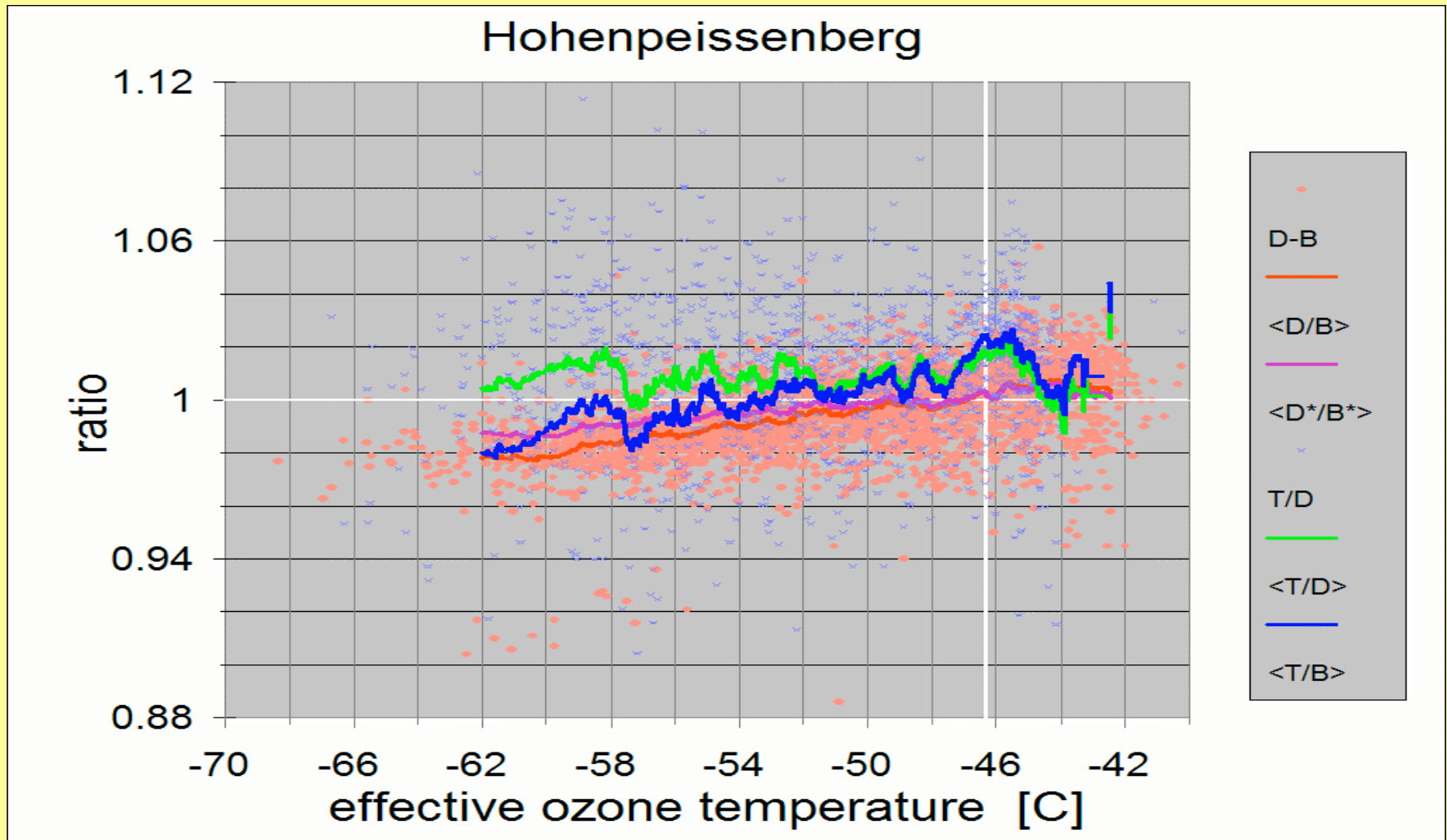
$$\text{Dobson}^{**} = \text{Dobson} \times [1 - \text{QD} \times 0.0013 \times (T_{\text{O}_3\text{eff}} - 46.3)]$$

# engagement of TOMS data



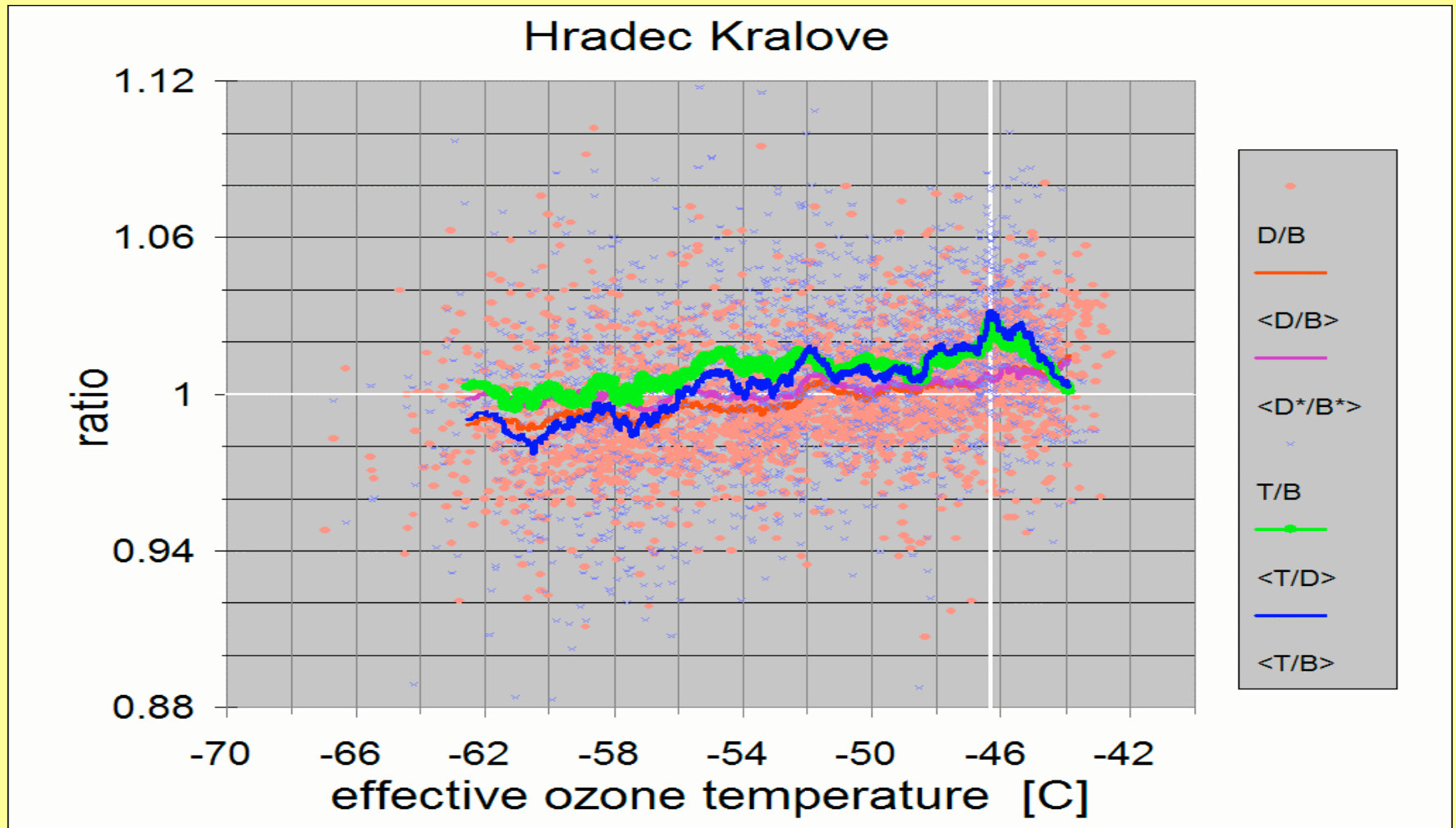
**D/B**: ratio of uncorrected daily values;  $\langle D/B \rangle$ : smoothed;  $\langle D^*/B^* \rangle$ : daily values were corrected for the eff. ozone temp. and smoothed; **T/B**: TOMS/Brewer (daily values);  $\langle T/D \rangle$ : TOMS/Dobson (smoothed);  $\langle T/B \rangle$ : TOMS/Brewer (smoothed)

# engagement of TOMS data



**D/B**: ratio of uncorrected daily values; **<D/B>**: smoothed; **<D\*/B\*>**: daily values were corrected for the eff. ozone temp. and smoothed; **T/B**: TOMS/Brewer (daily values); **<T/D>**: TOMS/Dobson (smoothed); **<T/B>**: TOMS/Brewer (smoothed)

# engagement of TOMS data



**D/B**: ratio of uncorrected daily values;  **$\langle D/B \rangle$** : smoothed;  **$\langle D^*/B^* \rangle$** : daily values were corrected for the eff. ozone temp. and smoothed; **T/B**: TOMS/Brewer (daily values);  **$\langle T/D \rangle$** : TOMS/Dobson (smoothed);  **$\langle T/B \rangle$** : TOMS/Brewer (smoothed)

# new correction for effective ozone temperature

$$\text{Brewer}^{**} = \text{Brewer} \times [1 - \text{QB} \times 0.0007 \times (T_{\text{O}_3\text{eff}} + 46.3)]$$

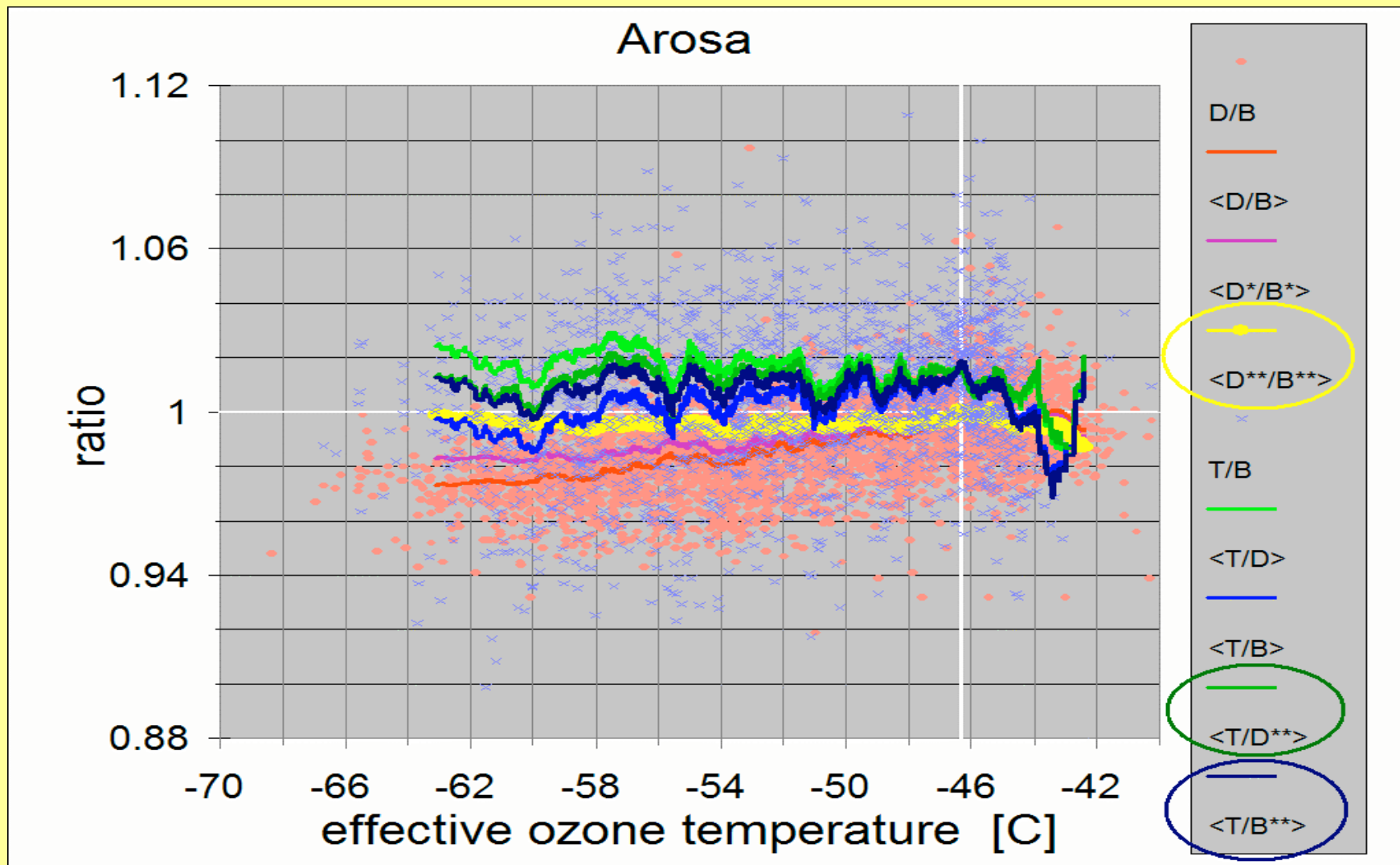
$$\text{Dobson}^{**} = \text{Dobson} \times [1 - \text{QD} \times 0.0013 \times (T_{\text{O}_3\text{eff}} + 46.3)]$$

optimal values for QB and QD:

	QB	QD	Q*
Arosa	-1.3	0.5	2.5
Hradec Kralove	-3.0	-0.7	2.0
Hohenpeissenberg	-2.0	0.0	2.3

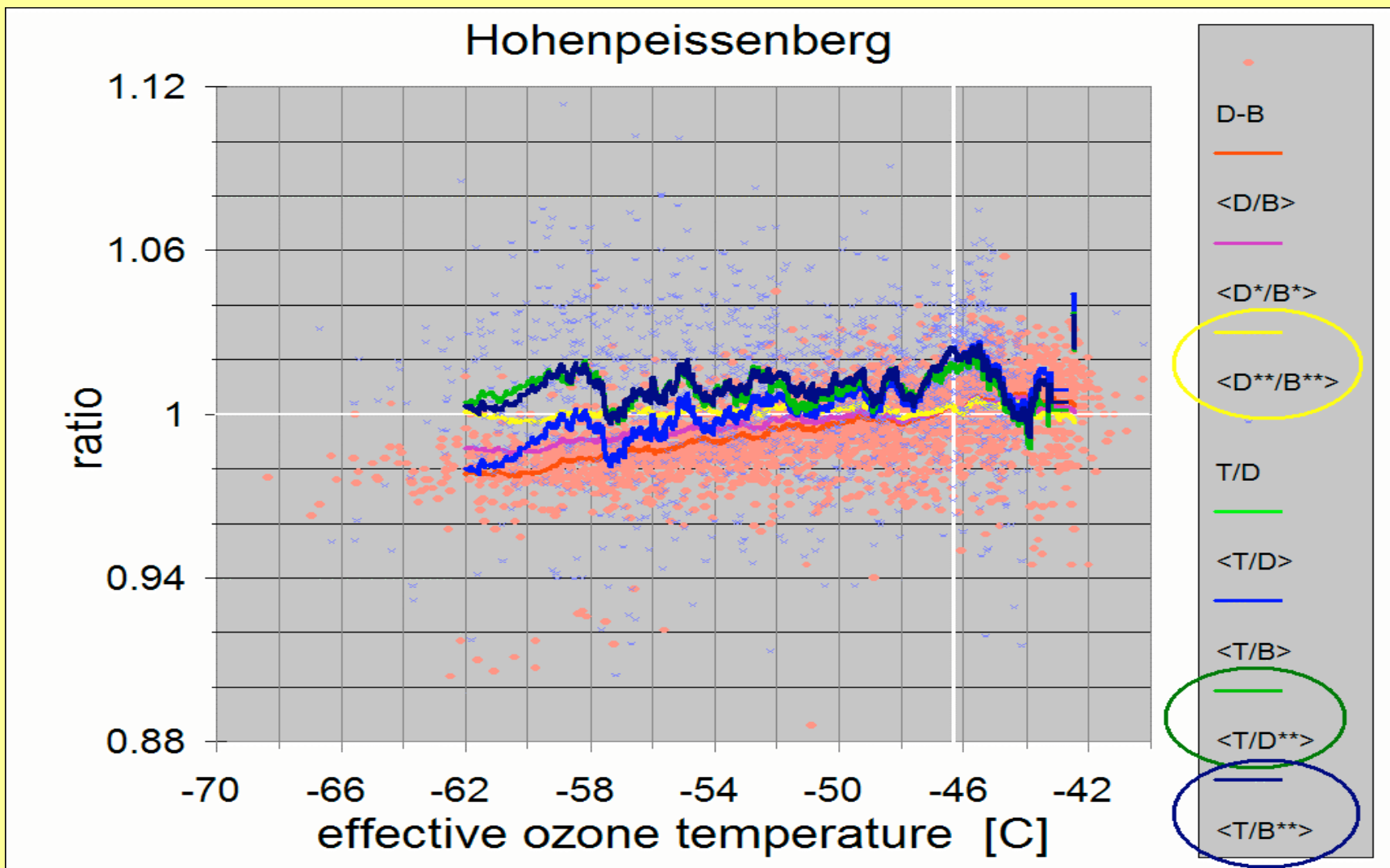
Q\* is the common value for QB and QD which will remove the dependence of Dobson\*\*/Brewer\*\* ratio on eff.ozone temp (but the dependences of TOMS/Dobson and TOMS/Brewer on the eff.ozone temp. will not be removed)

# updated correction coefficients



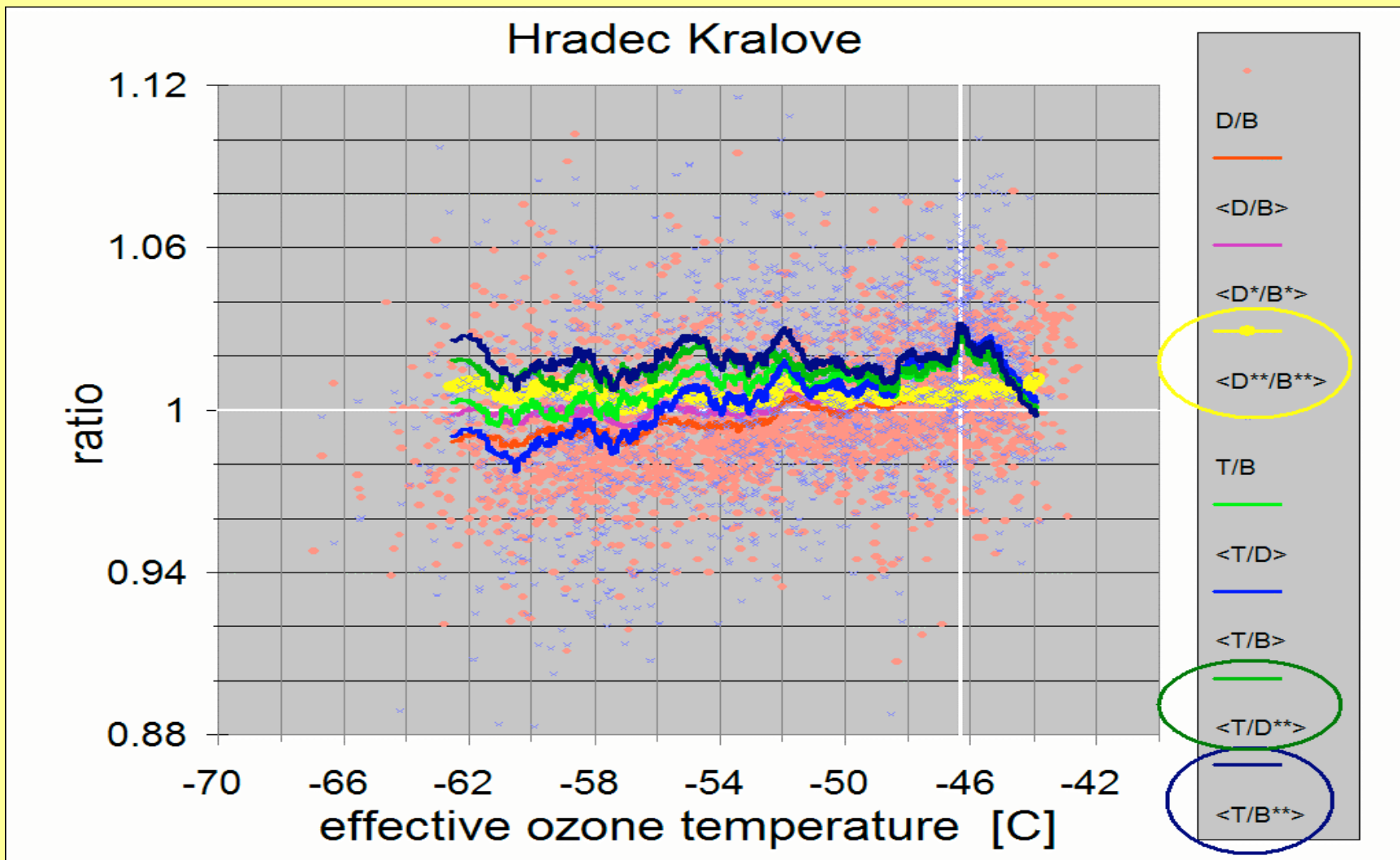
the circled (in the legend box) lines relate to new correction coefficients applied on the Brewer and Dobson data

# updated correction coefficients



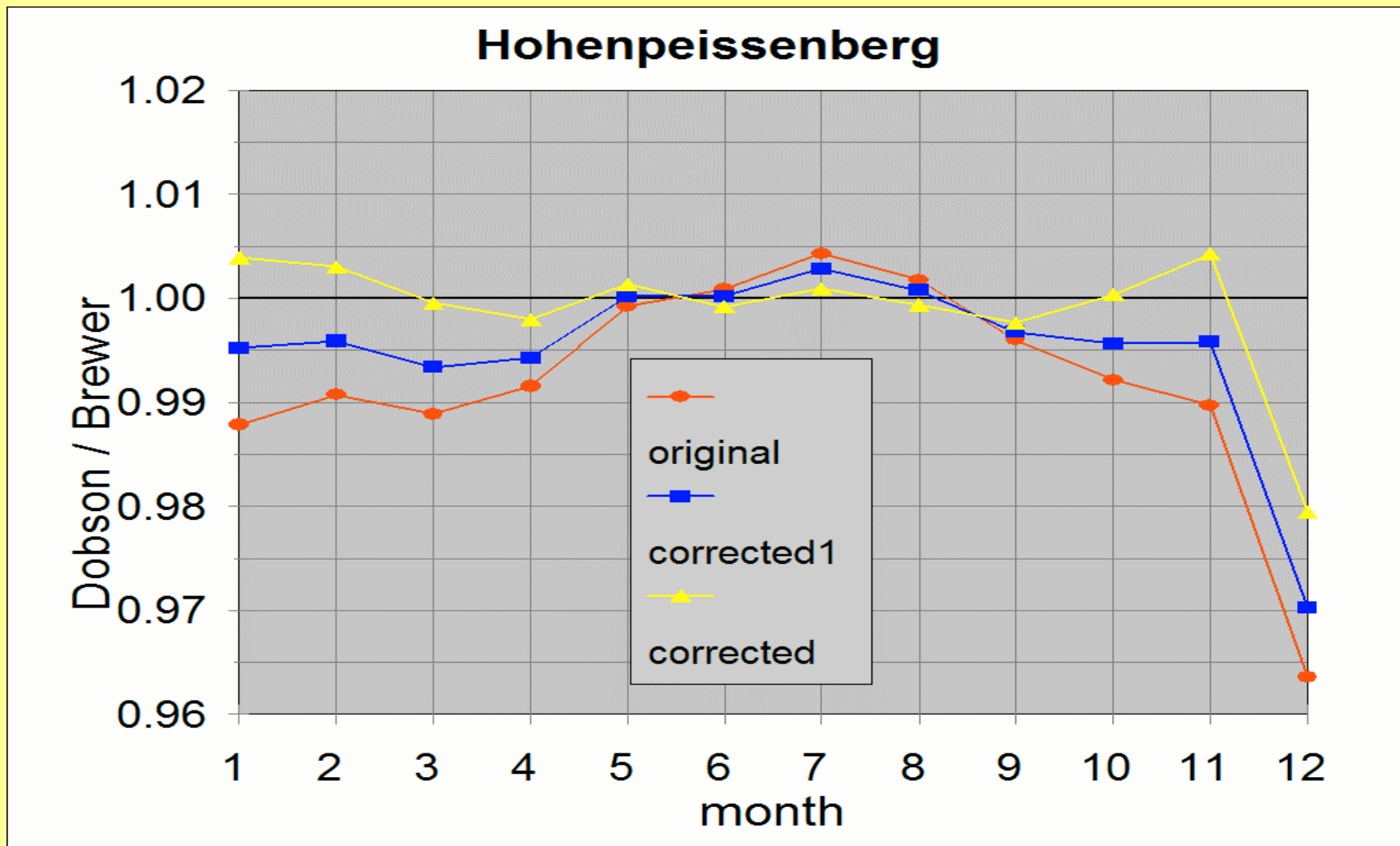
the **circled** (in the legend box) lines relate to new correction coefficients applied on the Brewer and Dobson data. **T** relates to TOMS data; **D\*\*** and **B\*\*** represent newly corrected Dobson and Brewer data.

# updated correction coefficients



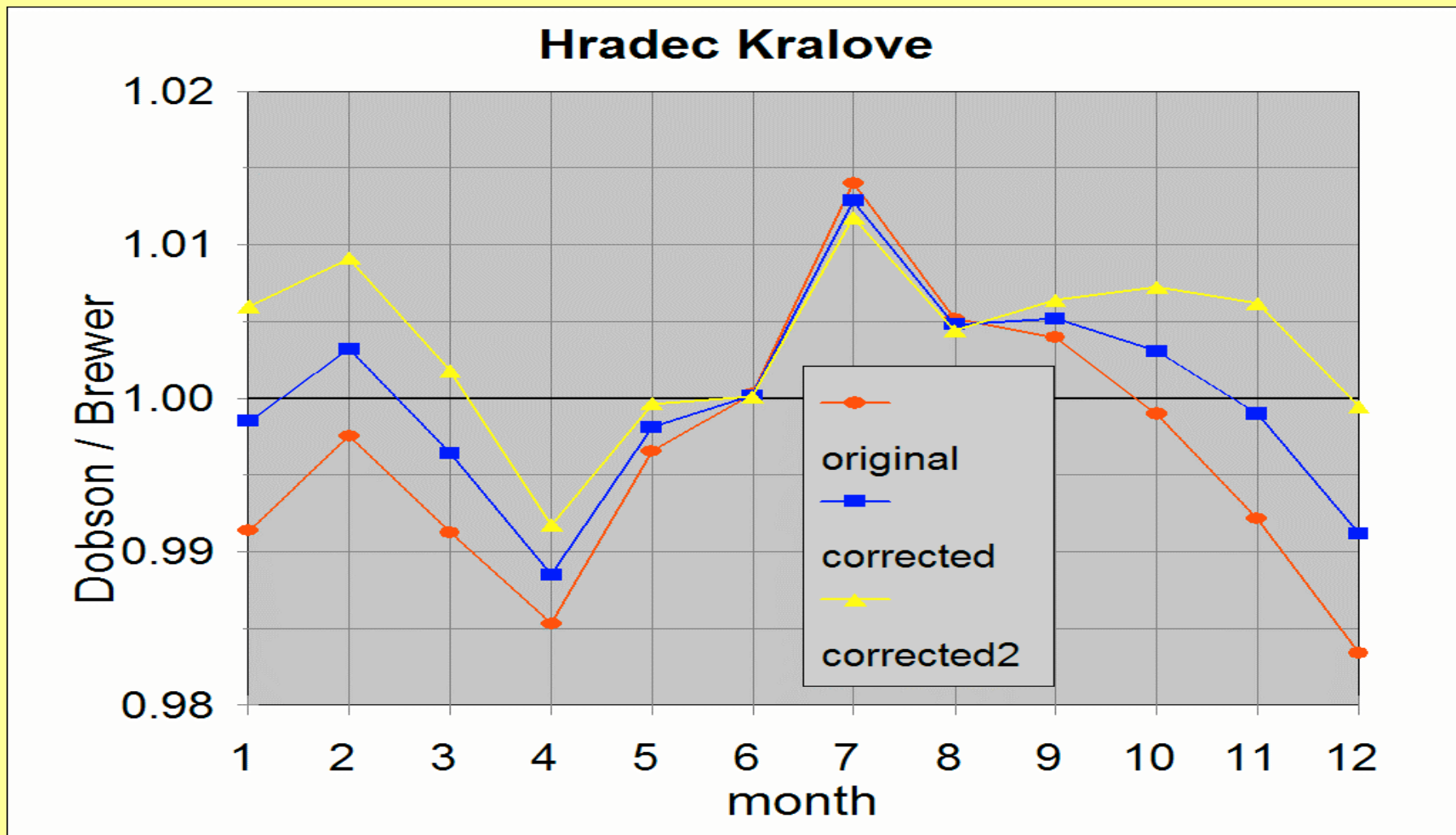
the **circled** (in the legend box) lines relate to new correction coefficients applied on the Brewer and Dobson data. **T** relates to TOMS data; **D\*\*** and **B\*\*** represent newly corrected Dobson and Brewer data.

# Dobson / Brewer: annual cycle



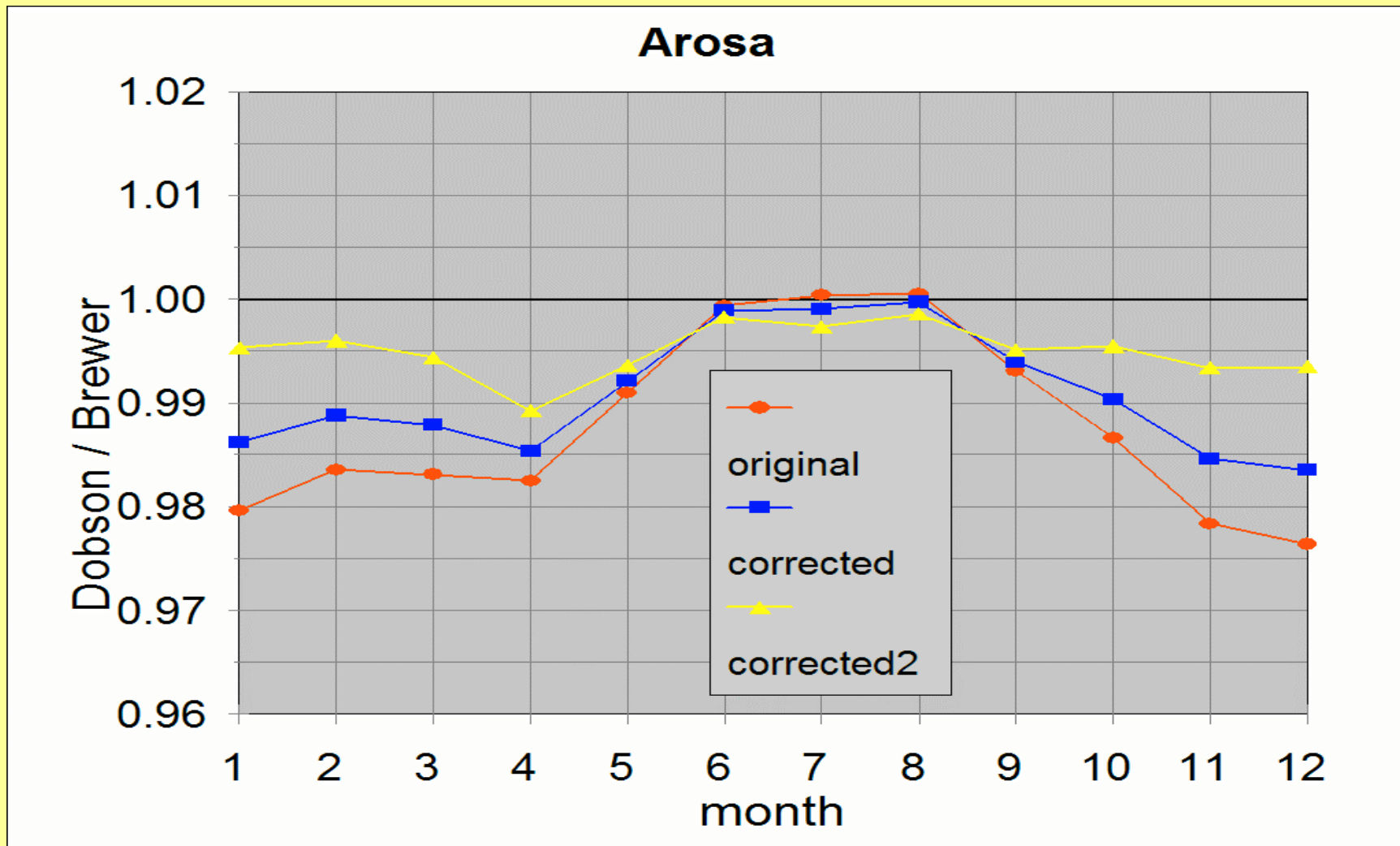
the **circled** (in the legend box) lines relate to new correction coefficients applied on the Brewer and Dobson data. **T** relates to TOMS data; **D\*\*** and **B\*\*** represent newly corrected Dobson and Brewer data.

# Dobson / Brewer: annual cycle



**red:** data were not corrected for effective ozone temperature; **blue:** the Kerr's correction is applied; **yellow:** new correction coefficients are applied

# Dobson / Brewer: annual cycle



**red:** not corrected for effective ozone temperature; **blue:** the Kerr's correction is applied; **yellow:** new correction coefficients are applied

# Dobson - Brewer: trends [D.U. / year]

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	not corrected data	new correction applied
[096] Hradec Králové:	$b = -0.54 \pm 0.24;$	$-0.45 \pm 0.22$
[099] Hohenpaissenberg:	$b = -0.24 \pm 0.10;$	$-0.16 \pm 0.09$
[035] Arosa (since 1991):	$b = -0.31 \pm 0.09;$	$-0.22 \pm 0.07$

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# conclusions *(of the first part?)*

- **Dobson/Brewer shows:**
  - annual cycle
  - trend
  - significant correlation with effective ozone temperature
- **Kerr's corrections is not sufficient**
- **modified correction coefficient**
  - removes correlation with eff. O3 temperature
  - reduces trend and annual cycle of Dobson/Brewer ratio
- **problem:** can we consider TOMS data independent on both Dobson and Brewer data??? *(no!)*

# Part 2: Effect of limited number of daily measurements on an accuracy of monthly means

- **motivation**: Ground- based measurements of total ozone are not available for all days in a month [as they are taken (mainly with the Dobson spectrophotometer) only at suitable weather condition].

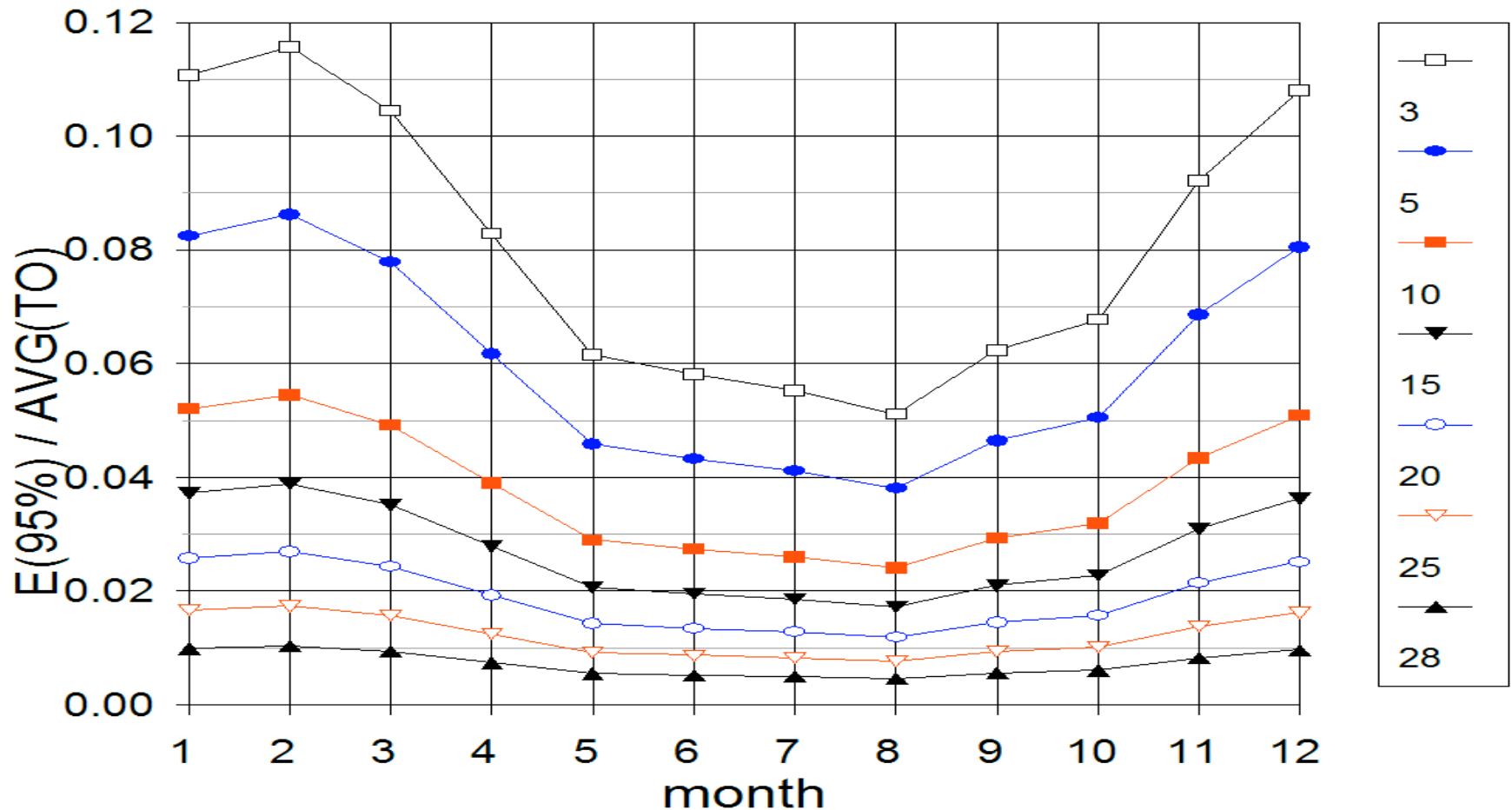
**The question stands, what is the error of the monthly mean total ozone estimated from incomplete set of daily values?**

# method (Monte Carlo):

- 1. 30 daily values are randomly sampled from normal  $N(\mu, \sigma^2)$  distribution;** These values represent the daily total ozone values during a month.  $(\mu, \sigma)$  are mean and standard deviation of total ozone values in a single month
- 2.  $n$  values ( $n < 30$ ) are selected from  $\{x_i\}$ :  $\{x_{i1}, \dots, x_{in}\}$ .** This subset represents the available values of standardised daily total ozone.
- 3. Averages of the two sets and their difference are calculated:**  $X = \text{avg}\{x_1, \dots, x_{30}\}$ ,  $X_n = \text{avg}\{x_{i1}, \dots, x_{in}\}$ ,  $D = X_n - X$ . The difference represents the error of the monthly mean estimated from a limited set of the daily ozone values.
- 4. Steps 1-3 are repeated many times** (e.g.:  $N = 10000$ ) and the mean,  $\mu_n$  (should be insignificantly different from zero), **and standard deviation,  $\sigma_n$ , of  $D$  are calculated.**

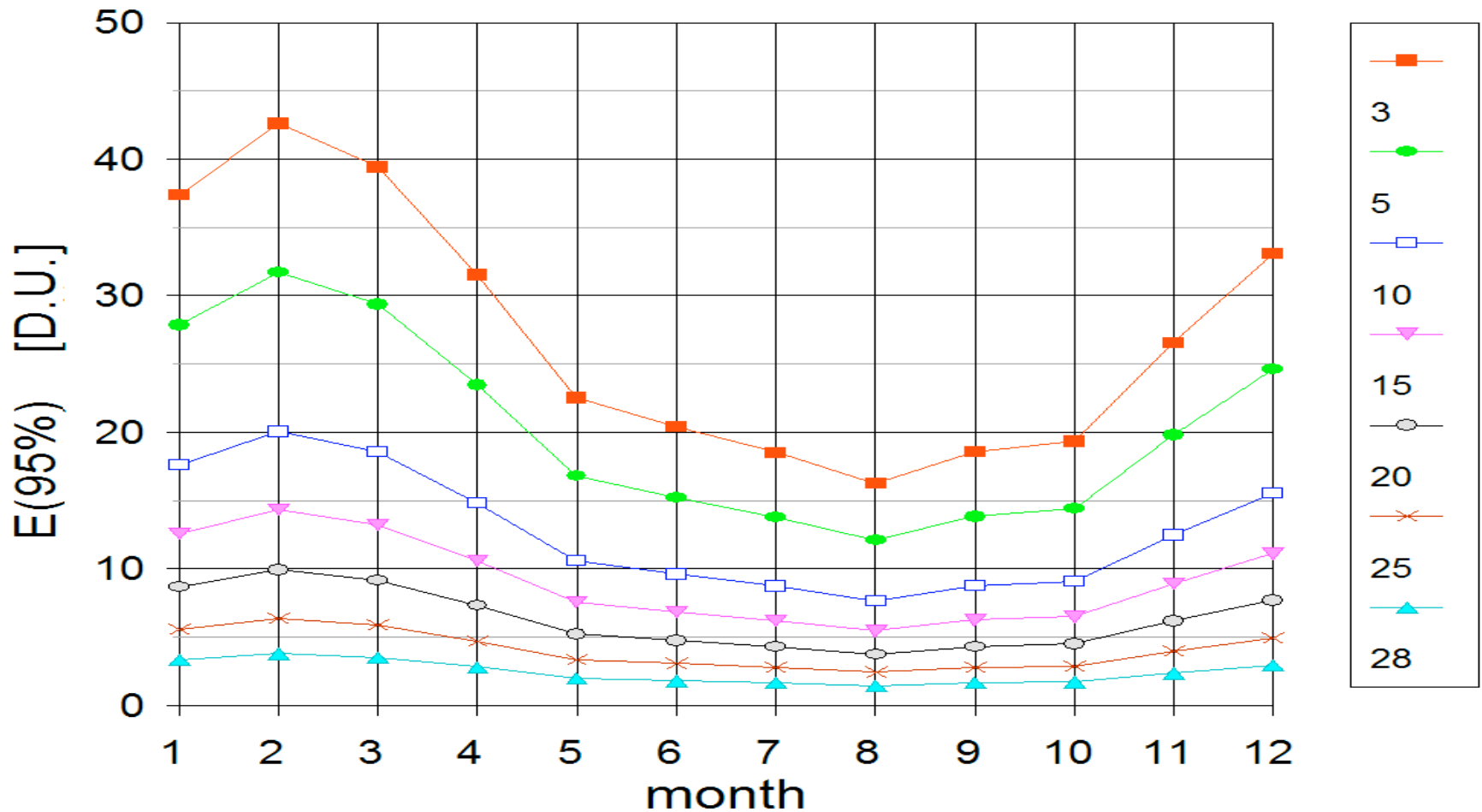
$s_n(\mathbf{D})$  is proportional to  $\sigma$  (*which differs for individual months*) and depends on  $n$  ( $\sigma_n$  decreases with  $n$  increasing and diminishes to zero for  $n = 30$ ), this uncertainty differs for individual months and number of available daily ozone values.

# half-width of 95% confidence interval (in which the monthly mean of total ozone lies with 95% probability)



**Assumption:**  $D$  has approximately a normal distribution

# half-width of 95% confidence interval (in which the monthly mean of total ozone lies with 95% probability)

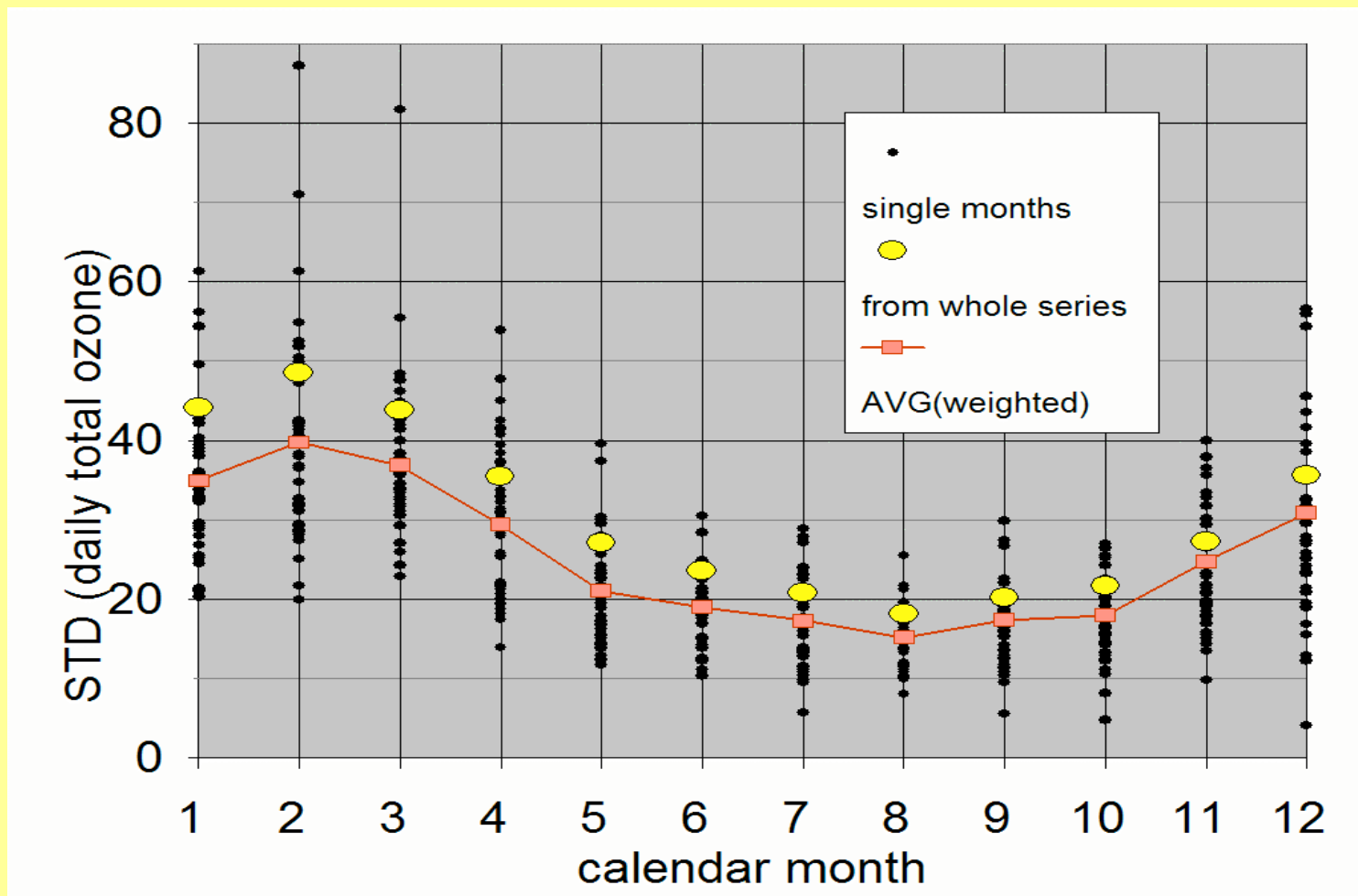


**Assumption:**  $D$  has approximately a normal distribution

**Number of measured daily total ozone required for a half-width of 95% confidence interval being lower than 1%, 2%, 3% and 5% of a monthly average total ozone**

month	1 %	2 %	3 %	5 %
1	29	24	19	11
2	26	22	17	10
3	29	24	18	10
4	27	20	14	7
5	25	16	10	5
6	24	15	9	4
7	24	14	9	4
8	23	13	8	3
9	24	16	10	5
10	26	17	11	5
11	27	21	15	8
12	29	24	18	11

# Standard deviations of daily total ozone values in Hradec Králové (1961-2002)



**AVG(weighted)** is average standard deviation of daily total ozone in a single month (weighted average from the black dots); **yellow circles** represent standard deviation of daily values in a given month calculated from the whole time series (1961-2002)